Theoretical Model For Computing Adult-Child Ratios in Day Care Centers



Dr. Richard Fiene

Dr. Richard Fiene here presents a theoretical model for computing adult-child ratios which takes both numbers (caregivers and children) and time (hours at the day care center) into account. Its purpose is to increase accuracy and save time in the computation of ratios to determine compliance with requirements, whether for FDCR or for licensing.

He is beginning an adaptation of this model for use in residential or twen-

ty-four hour facilities.

He has confidence that his model can be put into State regulatory systems, using the expertise of program oriented licensers and statistics/research oriented technicians.

If you care to explore this presentaon further, you may call Dr. Fiene at 717-787-2724. He is Director, Bureau of Information Systems, Pa.DPW, 1514 N. 2nd St., Harrisburg, Pa. 17102.

There has been much controversy over the Federal Day Care Requirements, in particular, the adult-child ratios. The majority of the discussion has revolved around the dichotomous points of view of the states and the federal role in enforcing the various standards. There is another issue that is equally important, which has been addressed only in a sideglance manner. Once it is decided what the ratios will be, how are we going to measure compliance with the ratios?

There have been various attempts at doing this - the most recent had been tried by Health, Education and Welfare (1977) and it does get at the required information. There is only one problem with it: it is rather time consuming. If a state or region has a great number of programs, it becomes almost an impossible task. Past methods have tried the direct approach of dividing the total number of children by the total number of teachers. This works, but does not give the overall day picture; therefore it is only good as a very gross measure.

The staff-child ratio question is a very critical item when it comes to monitoring of child development/child care facilities. However, it has eluded proper measurement because of inadequate or time-consuming measures. I am proposing a new theoretical model for compu-

ting adult child ratios which is not timeconsuming and gives accurate information in a very concise fashion.

With this new approach, all a day care monitor needs to do is ask six questions of the provider, and then put the data into a formula to find if the program is within compliance or not.

The six questions are as follows:

(1) When does your first staff member (teaching) arrive?

(2) When does your last staff member (teaching) leave?

(3) Number of teaching staff?

(4) Number of children present on your maximum enrollment day? Their ages and which staff members are assigned to each age group? (If there is vertical grouping).

(5) When does your last child arrive?

(6) When does your first child leave? (If vertical grouping, give breakdown according to age.)

After these questions are answered, then the day care monitor will compute the number of contact hours (CH) between staff and children using the following formula:

$$CH = \frac{NC(T\Xi + TO)}{2}$$
 Formula 1

In the formula, NC = total number of children present on the maximum enrollment day. TO = total number of hours the center is open. TH = total number of hours at full enrollment. CH = contact hours between staff and children in any type of caring arrangement.

After the CH is computed, the data are then put into another formula which will determine the relatively weighted contact hours for horizontal grouping (RWCH), or the relatively weighted contact hours range (RWCHR) for a vertically grouped program.

$$RMCH = \frac{NC (TH+TO)}{2} \begin{bmatrix} \frac{1}{TA} \end{bmatrix} \begin{bmatrix} \frac{1}{TA} \end{bmatrix}$$

$$RMCHR = \frac{\sum NC_o (TH_o + TO_o)}{2} \begin{bmatrix} \frac{1}{TA} \end{bmatrix} \begin{bmatrix} \frac{1}{TA} \end{bmatrix} \begin{bmatrix} \frac{1}{TA} \end{bmatrix}$$

$$NC_o = HC_o + NC_o + NC_o \end{bmatrix} = Pormula \quad 4$$

$$TH_o = TH_o + TH_o + TH_o \quad Formula \quad 5$$

$$TO_o = TO_o + TO_o + TO_o \quad Formula \quad 6$$

In the formulae above, NC_o = total number of children on the maximum enrollment day. TOo = total number of hours the center is open. TH_o = total number of hours at full enrollment. RWCH = relatively weighted contact hours - indicator of compliance for horizontally grouped programs. RWCHR = relatively weighted contact hours range - indicator of compliance for vertically grouped programs. TA = total number of teaching staff. NC_i = total number of infants. NC_p = total number of preschoolers. NCs = total number of school age children. $TH_p = total number of hours at full$ ber of hours at full enrollment with school-age children. I= infant-toddlers. P= preschoolers. S= school-age children.

Once the RWCH or the RWCHR figures are computed, now we can find if the programs are within compliance by using the Table of Conversions for RWCH and RWCHR. (See Table 1).

This table is computed from an ideal where TO and TH both equal eight hours. In other words, all staff and children arrive and leave at the same time which is an ideal programmatic set-up. By using the Table of Conversions, it is relatively easy to compute if a program is within compliance.

I think a few examples will suffice: Example A: Day care monitor asks the six questions and gets:

(1) 6:30 a.m.

(2) 5:30 p.m.

(3) six staff

(4) 35 children - all four years old

(5) 9:30 a.m.

(6) 3:15 p.m.

Compute CH:

$$CH = \frac{NC (TH+TO)}{2}$$

$$= \frac{35 (5.45+11)}{2}$$

$$= \frac{35 (16.45)}{2}$$

$$= 287.87$$

Compute RWCH: (because it is a horizontally grouped program).

RNCH=
$$\frac{NC (TH+TO)}{2} \begin{bmatrix} \frac{1}{TA} \end{bmatrix}$$

$$= \frac{35 (5.45+11)}{2} \begin{bmatrix} \frac{1}{6} \\ \frac{1}{6} \end{bmatrix}$$

$$= \frac{35 (16.45)}{2} \begin{bmatrix} \frac{1}{6} \\ \frac{1}{6} \end{bmatrix}$$

$$= \begin{bmatrix} 287.87 \end{bmatrix} \begin{bmatrix} \frac{1}{6} \\ \frac{1}{6} \end{bmatrix}$$

Now refer to the Table of Conversions. Look under NC = 35, CH = 280. Now look under RWCH in the P column. The score here is 56, which indicates that this program is well within compliance. In reading the Table of Conversions, if a program receives a score equal to or less than the score on the Table it will always be within compliance. If the program receives a score greater than the score on the Table for that particular category, then the program will always be out of compliance.

Example B: Day Care monitor asks the six questions and gets:

(1) 6:00 a.m.

(2) 6:00 p.m. (3) three staff

(4) 15 children — five infants, five preschoolers, five school age children

(5) 10:00 a.m. (6) 4:00 p.m.

Compute CH:

CH= NC (TM+TC)

2

= 15 (6+12)

= 15(23)

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enrollment with preschoolers. THi =

total number of hours at full enrollment

Appeared in the National Association for Regulatory Administration's News

April, 1980

Volume 1, Number 7, pps 9-11.

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Compute RWCHR: (because it is a vertically grouped program).

$$RWCHR = \left[\frac{\sum NC_{s}\left(TH_{s} + TO_{s}\right)}{2}\right]\left[\sum_{t} \frac{1}{TA}\right]$$

$$RWCHR = \left[\frac{NC_{s}\left(TH_{s} + TO_{s}\right) + NC_{s}\left(TH_{s} + TO_{s}\right)}{2} + NC_{s}\left(TH_{s} + TO_{s}\right)}\right]\left[\sum_{t} \frac{1}{TA}\right]$$

$$= \left[\frac{5(6+12)!}{2} + \frac{\left[5(6+12)!\right] + \left[5(6+12)!\right]}{2}\right]\left[\frac{1}{3}\right]$$

$$= \left[\frac{90+90+90}{2}\right]\left[\frac{1}{3}\right]$$

$$= \left[135\right]\left[\frac{1}{3}\right]$$

$$= 45.00$$

Now refer to the Table of Conversions. Look under NC = 15, CH = 120. Now look under RWCHR in the P column because we have an equal number of infants, preschoolers and school age children. The score here is 40-50 which indicates this program is well within compliance.

Example C: Day care monitor asks the six questions and gets:

- (1) 6:00 a.m.
- (2) 6:00 p.m.
- (3) Three staff
- (4) 20 children all four years old
- (5) 7:00 a.m.
- (6) 5:00 p.m.

Compute CH:

$$CH = \frac{NC(TH+TO)}{2}$$

$$= \frac{20(10+12)}{2}$$

$$= \frac{20(22)}{2}$$

$$= \frac{440}{2}$$

$$= 220$$

Compute RWCH: (because it is horizontally grouped program).

$$RHCR = \left[\frac{MC(TH+SO)}{2} \right] \frac{1}{TA}$$

$$= \left[\frac{20(10+12)}{2} \right] \frac{1}{3}$$

$$= \left[\frac{20(22)}{2} \right] \frac{1}{3}$$

$$= \left[\frac{440}{2} \right] \frac{1}{3}$$

$$= \left[\frac{220}{3} \right] \frac{1}{3}$$

Now refer to the Table of Conversions. Look under NC = 20, CH = 160. Now look under RWCH in the P column. The score here is 53, which indicates that this program is well out of compliance.

The aspect of the above theoretical model is that it takes both time and numbers of staff into account. It is a simple one-shot mathematical calculation, and it can determine if a program is within compliance or not.

TABLE I

TABLE OF CONVERSIONS FOR ADULT-CHILD RATIO

		,			Chester 1		-		-			-	-	•											-						
HTED	S	50+	58+	+09	61+	57+	419	62+	58+	+09	61+	52+	53+	55+	56+	57+	57+	58+	59+	+09	62+	54+	55+	57+	57+	58+	57+	58+	59+	+09	61+
RELATIVELY WEIGHTED CONTACT HOURS RANGE	Ъ	43-49	45-57	4659	47-60	49-56	43-60	44-61	45-57	46-59	47-60	46-51	47-52	44-54	45-55	46-56	46-56	47-57	47-58	48-59	19-97	45-53	46-54	47-56	47-56	48-57	47-56	45-57	46-58	46-59	47-60
RELAT!	I	42	44	45	46	48	42	43	44	54	46	45	46	43	44	45	45	46	46	47	45	44	45	46	46	47	46	44	45	45	46
СНТЕD	S	62+	64+	+99	+89	70+	72+	74+	194	78+	+08	+99	+19	+69	70+	72+	74+	75+	77+	78+	+08	+89	+69	71+	72+	73+	75+	192	77+	79+	80+
RELATIVELY WEIGHTED CONTACT HOURS	Ъ	30	51	53	54	56	48	49	51	52	53	55	56	49	50	57	53	54	55	56	50	51	52	53	54	55	56	51	52	52	53
RELATI	I	35	37	38	39	40	36	37	38	39	40	36	37	38	39	40	37	38	38	39	40	37	38	39	39	40	37	38	39	39	40
CONTACT		248	256	264	272	280	288	296	304	312	320	328	336	344	352	360	368	376	384	392	400	408	416	424	432	440	448	456	464	472	480
NC		31	32	33	34	35	36	37	38	39	40	47	42	43	44	45	46	47	48	49	50	51	52	53	54	55	26	22	58	59	09
WEIGHTED RS RANGE	S	8+	16+	24+	32+	40+	464	57+	464	55+	+19	45+	467	53+	47+	51+	54+	57+	26 +	±85	+19	47+	48+	20+	54+	55+	52+	£95	57+	54+	62+
WE	ď.	80	97	24	32	40	37-48	1		1	4160	38-44	41-48	44-52	37-46	40-50	38-53	40-56	43-55	45-57	47-60	39-46	40-47	42-49	44-53	46-54	44-51	46-55	47-56	43-53	45-61
RELATIVELY CONTACT HO	I	89	97	24	32	40	36	42	32	36	40	37	40	43	37	40	37	39	42	44	46	38	39	47	43	45	43	45	46	42	44
GHTED	S	+8	16+	24+	32+	40+	48+	56+	64+	72+	+08	44+	48+	52+	£95	+09	64+	+89	72+	76+	408	56+	59+	+19	64+	+29	+69	72+	75+	77+	80+
- LJ	P	89	91	24	32	40	48	56	32	36	40	4	48	52	37	40	43	45	48	27	53	42	44	96	48	50	52	54	56	46	48
RELATIVE CONTACT	I	89	16	24	32	40	24	28	32	36	40	29	32	35	37	40	32	34	36	38	40	34	35	37	38	40	35	36	37	39	40
CONTACT		89	97	24	32	40	48	56	64	7.2	80	88	96	104	112	120	128	136	144	152	160	897	9/7	184	767	200	208	216	224	232	240
NC		Н	7	ω	41	ۍ ،	9 !	` `	o d	g) ;	70	77	77	£ ;	7.4	15	97	//	87	19	20	7.7	7.7	23	4.	ć,	70	77	28	67	30